

DO YOU SPEAK BINARY?

CODING BASICS

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# ANNOUNCEMENT

- First homework is being graded, grade to be posted by the end of the week
- Revisit homework policy: late submission, request regrading etc.
- Worst quiz and worst homework grade to be dropped.
- However, use this policy wisely!
- A few of you (~4) have not submitted your 1st homework, if you missed the homework submission because you registered for this class at a very late time, please talk to me after class.

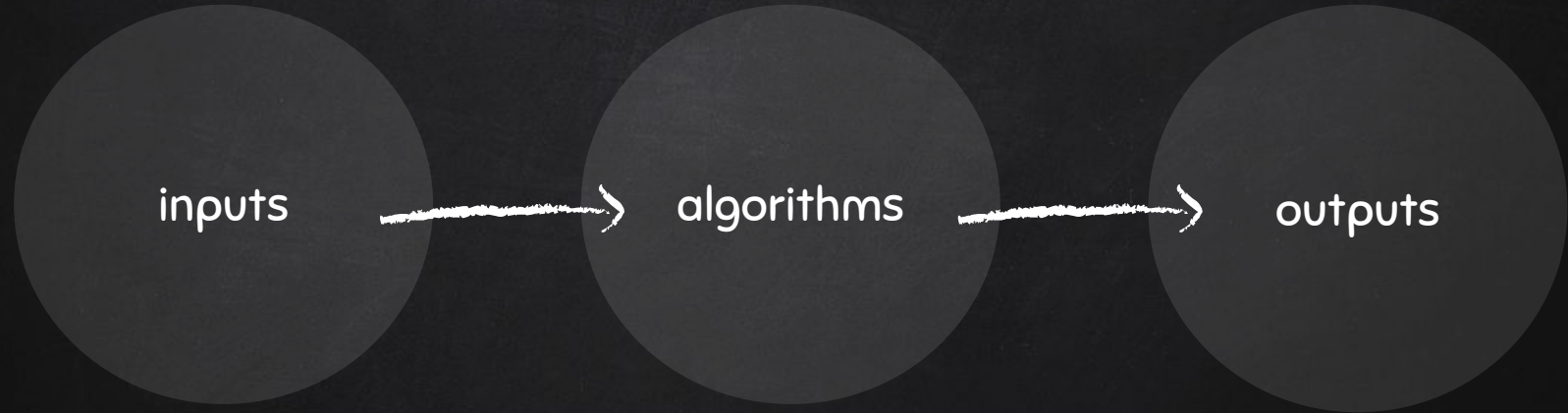
HOW MANY OF YOU HAVE  
PROGRAMMING EXPERIENCE PRIOR TO  
TAKING CS 1060?

IMPORTANT: THINK ABOUT HOW YOU  
HAVE PROGRESSED OVER THE COURSE  
OF THIS CLASS.

# COMPUTATIONAL THINKING



# COMPUTATIONAL THINKING



THINK LIKE A COMPUTER SCIENTIST!



PROBLEM SOLVING

BINARY, NUMBER  
BASES & CONVERTING  
BETWEEN BASES

Binary

0, 1



Decimal

0, 1, 2, 3, ..., 9

## WHY BINARY FOR COMPUTERS?

- ❑ Computer use binary – digits 0 and 1 – to store data
- ❑ A binary digit, or **bit**, is the smallest unit of data in computing
- ❑ Circuits in a computer's processor are made up of **transistors**
- ❑ The digits 1 and 0 reflect the **on and off states** of a transistor
- ❑ Computer programs get **translated** into binary machine code for a processor to execute

# ADVANTAGES OF USING BINARY

Claude Shannon, Bell Lab, 1948 paper: “*A Mathematical Theory of Communication*”

- Binary devices are **simple** and easy to build: e.g. digital calculator
- Binary signals are **unambiguous** (noise immunity).
- **Flawless copies** can be made of binary data.
- **Anything** that can be represented with some sort of pattern can be represented with patterns of bits.

# Decimal

100

1

$1 \times 100$

10

2

$2 \times 10$

1

5

$5 \times 1$

+

+

# binary

4

1

$1 \times 4$

+

2

0

$0 \times 2$

+

1

0

$0 \times 1 = 4$  (decimal)

binary

4

0

2

0

1

0

binary

4

0

2

0

1

1

binary

4

0

2

1

1

0



binary

4

0

2

1

1

1

binary

4

2

1

1

0

0

binary

4

2

1

1

0

1

binary

4

2

1

1

1

0

binary

4

1

2

1

1

1

ALGORITHM:  
BASE-2 TO BASE-10

WHAT NUMBER DOES 10010110 IN BASE 2 REPRESENT?

$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$
128	64	32	16	8	4	2	1
1	0	0	1	0	1	1	0

$$1 \times 128 + 1 \times 16 + 1 \times 4 + 1 \times 2 = 150$$

WHAT NUMBER DOES 10010110 IN BASE 2 REPRESENT?

USING 0-BASED INDEXING

$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$
128	64	32	16	8	4	2	1
1	0	0	1	0	1	1	0
D0	D1	D2	D3	D4	D5	D6	D7

$$1 \times 128 + 0 \times 64 + 0 \times 32 + 1 \times 16 + 0 \times 8 + 1 \times 4 + 1 \times 2 + 0 \times 1 = 150$$

$$D_0 \times 2^{(7-0)} + D_1 \times 2^{(7-1)} + \dots + D_i \times 2^{(7-i)} + \dots + D_7 \times 2^{(7-7)} = 150$$



WHAT NUMBER DOES 10110 IN BASE 2 REPRESENT?

USING 0-BASED INDEXING

$2^4$	$2^3$	$2^2$	$2^1$	$2^0$
16	8	4	2	1
1	0	1	1	0
D0	D1	D2	D3	D4

$$1 \times 16 + 0 \times 8 + 1 \times 4 + 1 \times 2 + 0 \times 1 = 22$$

$$D_0 \times 2^{(4-0)} + D_1 \times 2^{(4-1)} + D_2 \times 2^{(4-2)} + D_3 \times 2^{(4-3)} + D_4 \times 2^{(4-4)}$$

$$D_i \times 2^{(4-i)}$$

## ALGORITHM: BASE-2 TO BASE-10

An algorithm is a precise set of steps to solve a problem

1. Input: a binary number with digits  $D_0 D_1 D_2 \dots D_{n-1}$ .
2. Initialization: set  $Sum = 0, i = 0$
3. While ( $i$  is less than the number of digits)
  - a. Add  $D_i * (2^{(n-1-i)})$  to  $Sum$
  - b. Increment  $i$
4. Output  $Sum$

## THE CORRESPONDING PYTHON CODE

```
D=input('Enter binary # to be converted: ')
n=len(D);sum=0;i=0
while (i<n):
    sum=sum+int(D[i])*2**(n-i-1)
    i=i+1
print 'The decimal # of the given binary # is',sum
```

[http://www.tutorialspoint.com/execute\\_python\\_online.php](http://www.tutorialspoint.com/execute_python_online.php)

# THE CORRESPONDING PYTHON CODE EXPLAINED

`D=raw_input('Enter binary #:')` # `raw_input([prompt message])` is a build-in function: it reads a line from input, converts it to a string and returns it.

`n=len(D); sum=0; i=0` # initialization, `len([string])` another build-in function, it returns the length of an object

`while (i<n):` #while loop statement

`sum=sum+int(D[i])*2**(n-i-1)` # summing up, `int([number/string])` returns an integer object from a number or string

`i=i+1` #increment

`print 'The decimal # of the given binary # is', sum` # print both string and number, print the converted decimal #

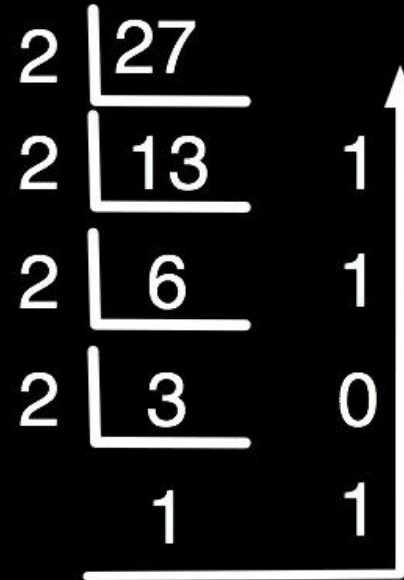
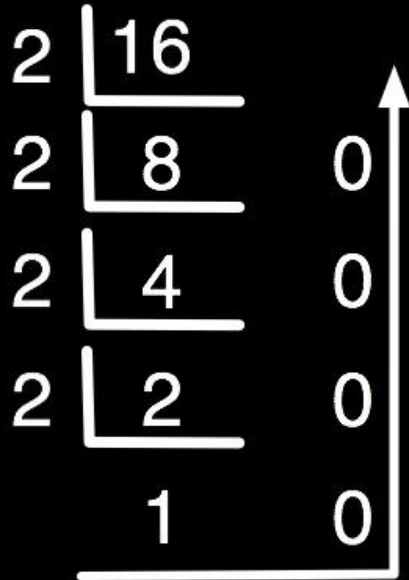
<https://docs.python.org/2/library/functions.html#>

## A SIMPLER VERSION USING BUILD-IN FUNCTIONS

```
binary=raw_input('Enter binary #:')  
decimal=int(binary, 2)  
print 'The decimal # of the given binary # is', decimal
```

ALGORITHM:  
BASE-10 TO BASE-2

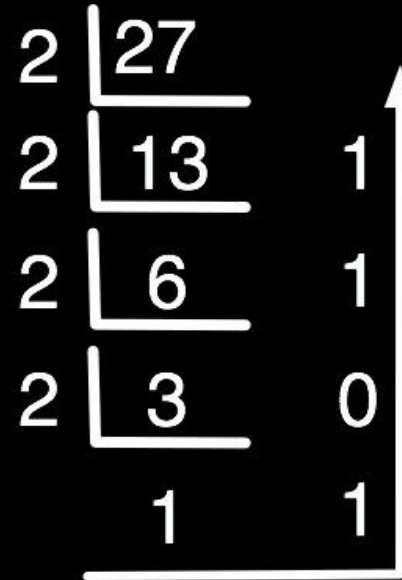
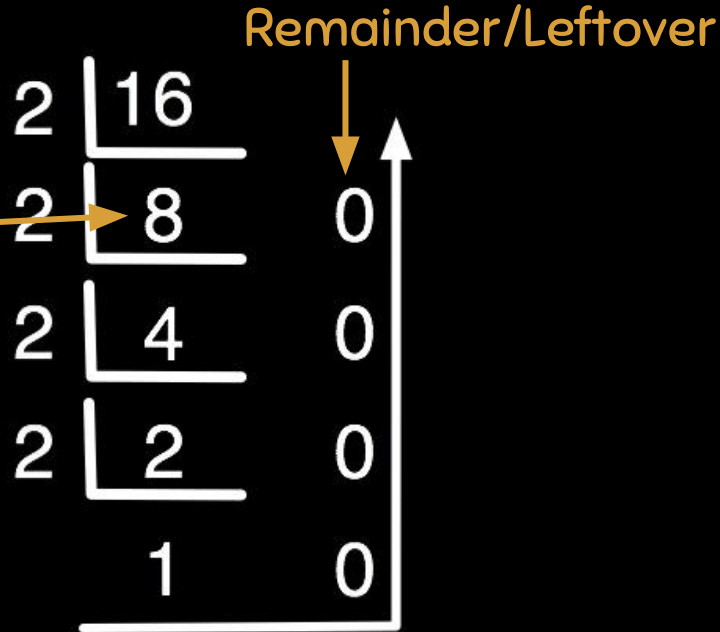
# ALGORITHM BY EXAMPLES



Converting **16** (base-10) to base-2: **10000**

Converting **27** (base-10) to base-2: **11011**

# ALGORITHM BY EXAMPLES



Converting **16** (base-10) to base-2: **10000**

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## ALGORITHM: BASE-10 TO BASE-2

1. Input: a decimal number  $dec$
1. Initialization: set  $s = 0, i = 1$
2. While ( $dec > 0$ )
  - a. remainder =  $dec \% 2$
  - b. divide  $dec$  by 2
  - c. append remainder to the left of  $s$ , i.e., multiplying by 10 and add to  $s$
3. Output  $s$

## IN PYTHON

```
dec=input("Enter decimal # to be converted: ")
s=0; i=1
while dec>0:
    remainder=dec%2
    dec=dec/2
    s=s+(i*remainder)
    i=i*10
    print s
print "The binary of the given # is ",s
```

# EXERCISES

1. What is 1000 in base 2 converted to base 10?
2. Convert 36 in base 10 to base 2.

PYTHON  
PROGRAMMING IS FUN  
AND PRODUCTIVE

# QUIZ 2: BINARY AND DECIMAL

THINK BEYOND BINARY

# QUANTUM COMPUTING

- Theoretical computation systems: quantum computers, use quantum-mechanical phenomena to perform operations on data
- Different from digital electronic computers based on transistors.
- Uses quantum bits (qubits), which can be in superpositions of states: e.g. linear combination of basic states of particles
- Quantum Superposition: any 2+ quantum states can be added together and the result will be another valid quantum state
- Quantum Turing machine or the universal quantum computer
- Non-deterministic and probabilistic
- Paul Benioff, Yuri Manin 1980; Richard Feynman 1982; David Deutsch in 1985.
- Further reading: [https://en.wikipedia.org/wiki/Quantum\\_computing](https://en.wikipedia.org/wiki/Quantum_computing)

# QUANTUM COMPUTING

- A quantum bit corresponds to a single electron in a particular state. Using the trajectories of an electron through two closely spaced channels for encoding.
- In principle, two different states are possible: the electron either moves in the upper channel or in the lower channel – a binary system.
- However, a particle can be in several states simultaneously, that is, it can quasi fly through both channels at the same time.
- These overlapping states can form an extensive alphabet of data processing.
- Quantum computer science
- Further reading: [http://qist.lanl.gov/qcomp\\_map.shtml](http://qist.lanl.gov/qcomp_map.shtml)
- <http://www.webpronews.com/quantum-computing-beyond-binary-2012-03/>





**THANKS!**

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**Any questions?**

You can find me at  
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<http://www.sci.utah.edu/~beiwang/teaching/cs1060.html>

## CREDITS

Special thanks to all the people who made and released these awesome resources for free:

- Presentation template by [SlidesCarnival](#)
- Photographs by [Unsplash](#)